

# Multi-standard Software

*COMBINE 2010, session 10*

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# Tales from the code front: Translating Modularity

*COMBINE 2010*

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# Antimony and CellML

ex\_antimony\_input.txt - QTAntimony

File Edit View Help

Antimony - ex\_antimony\_input.txt SBML - bistable \* SBML - ffn \* SBML - ringoscil \* SBML - combined\_model \* SBML \*

```
//-----
//Bistable Switch
//Two genes down-regulate one another. Hill coefficient =
//input x can be used to upregulate one of the genes
//-----
```

model bistable(s1, s2)

gene g1, g2;

species s1, s2;

g1:  $\rightarrow s1; k1*(1 + x)/(1 + k2*s2^2)$  // gene 1 makes protein s1  
s1  $\rightarrow ; k0*s1$  // protein s1 degrades

g2:  $\rightarrow s2; k3/(1 + k4*s1^2)$  // gene 2 makes protein s2  
s2  $\rightarrow ; k0*s2$  // protein s2 degrades

k0 = 0.1 //parameters in the model

k1 = 1

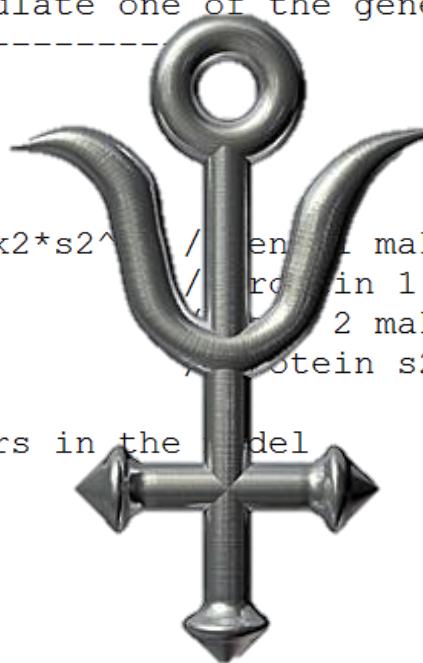
k2 = 1

k3 = 1

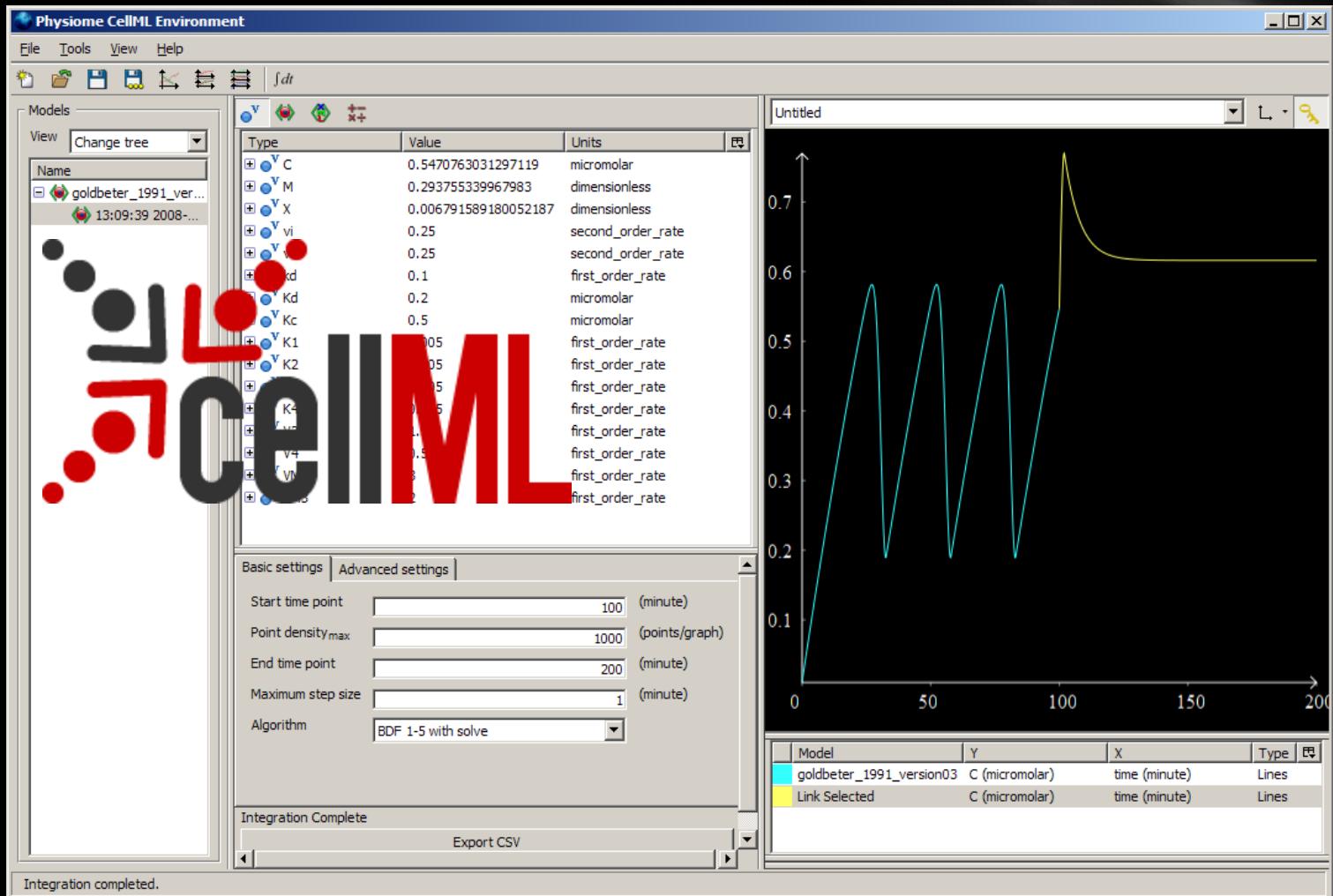
k4 = 1

end

```
//-----
//Feed Forward Network (Coherent Type 1)
//The FFFN is meant to reduce noise -- the signal v has to
```



# Antimony and CellML



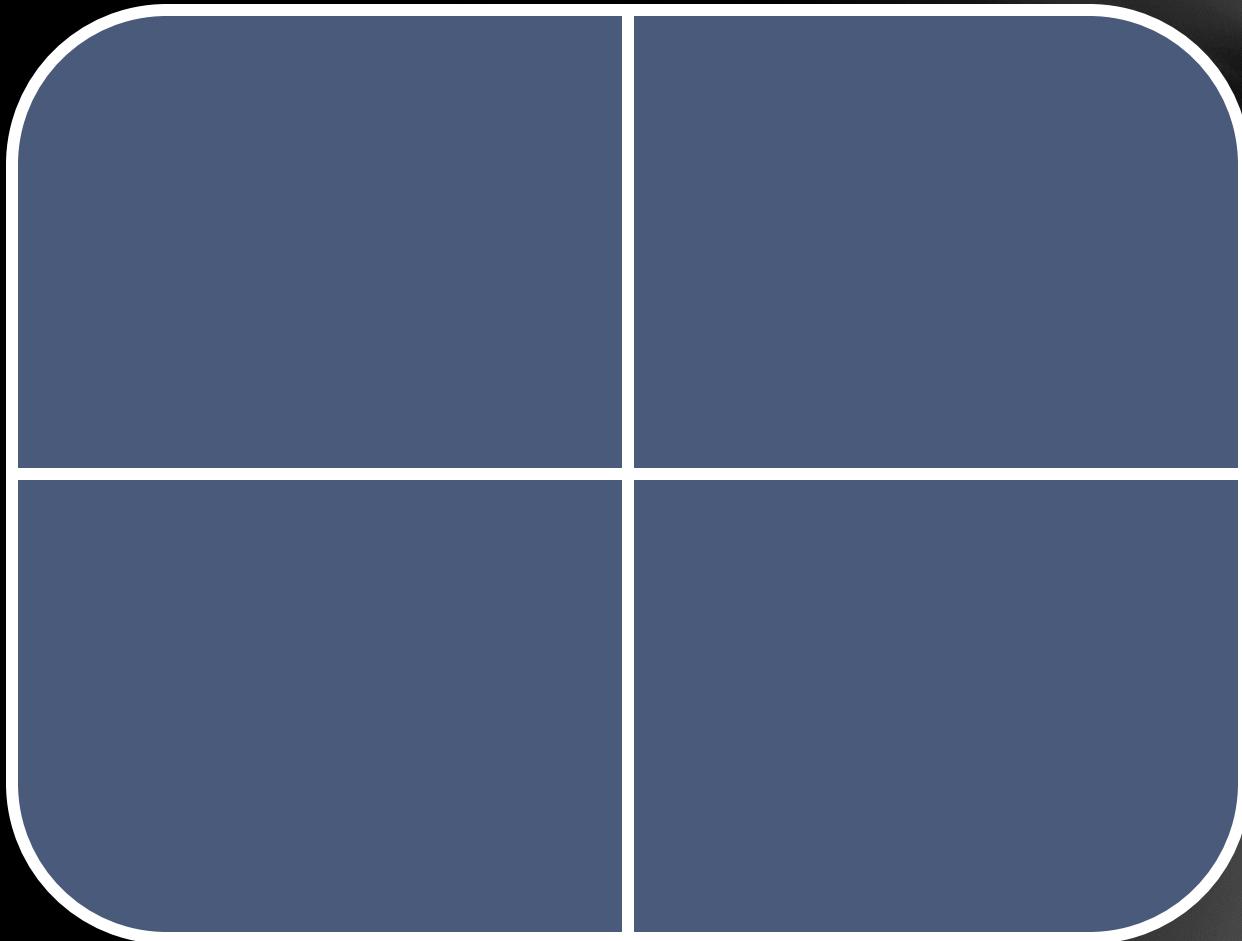
# Translation (Antimony 1.4)



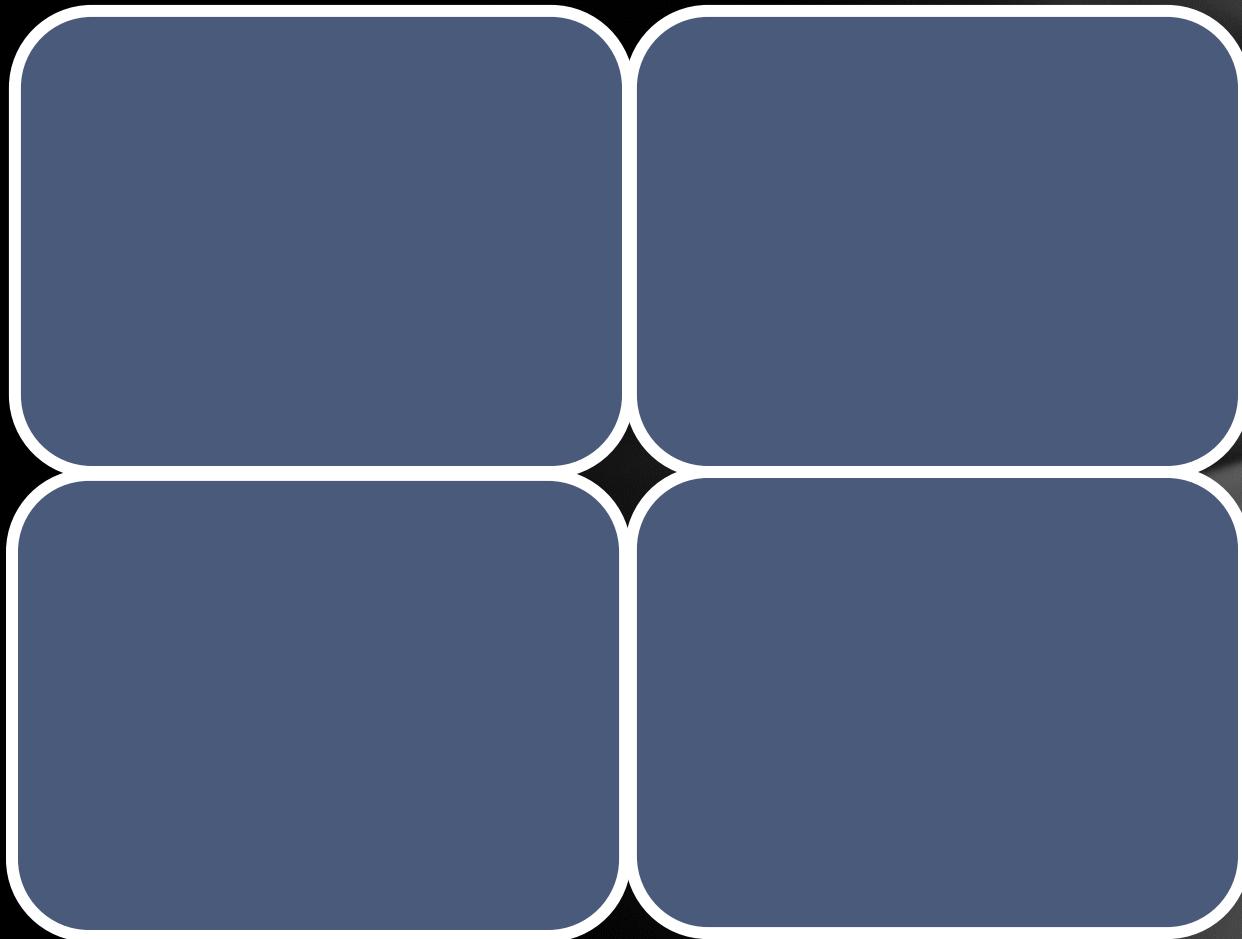
# Modularity



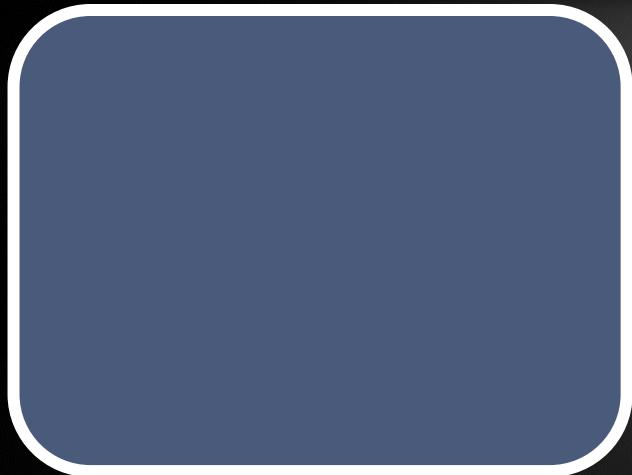
# Modularity



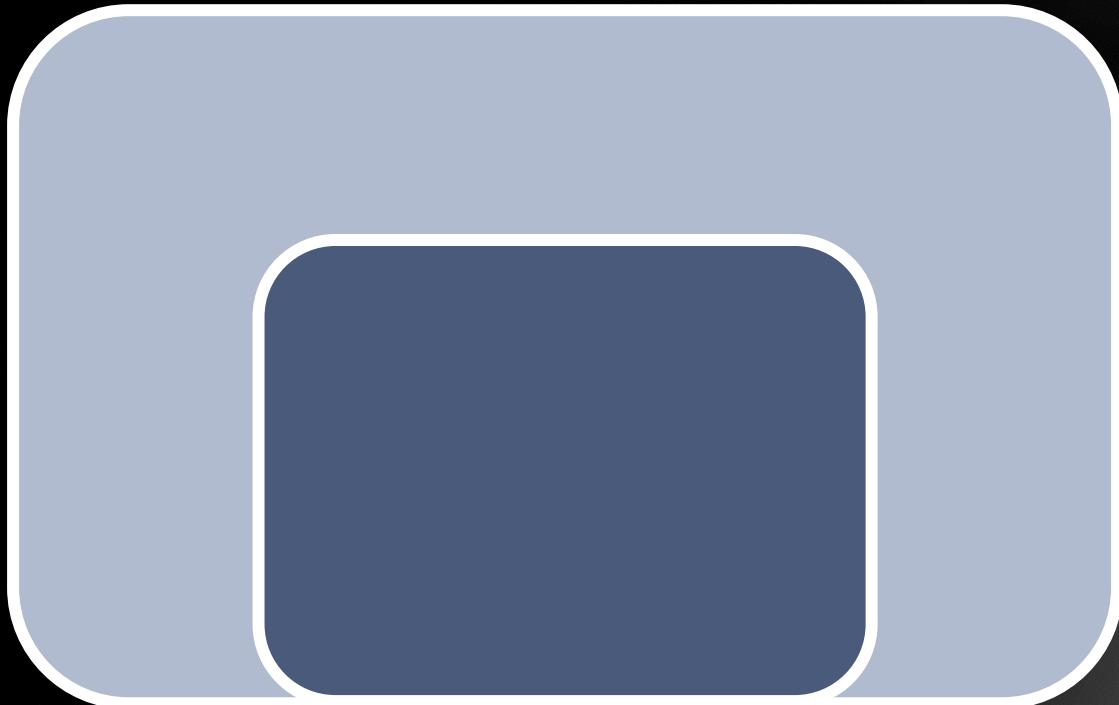
# Modularity



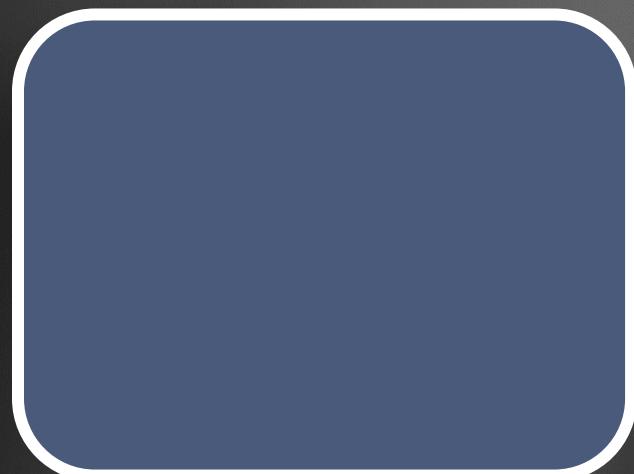
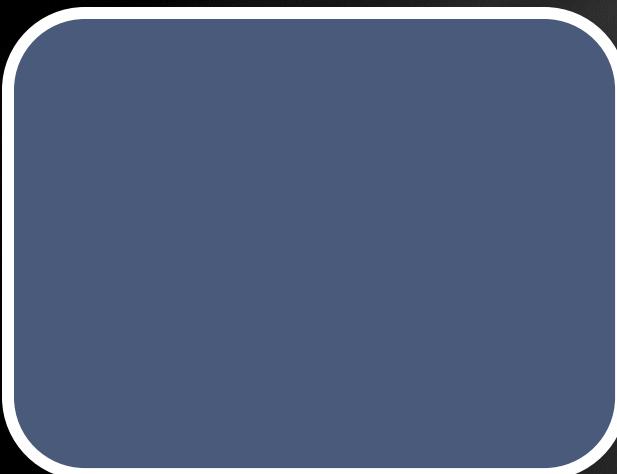
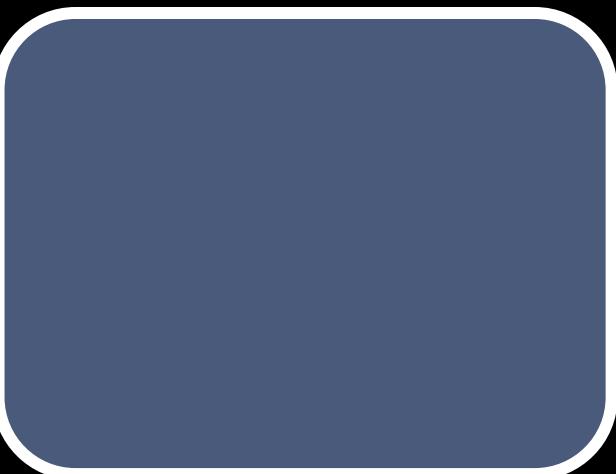
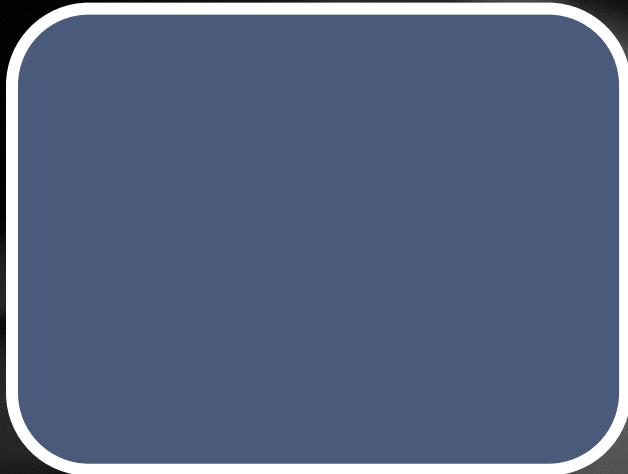
# Modularity



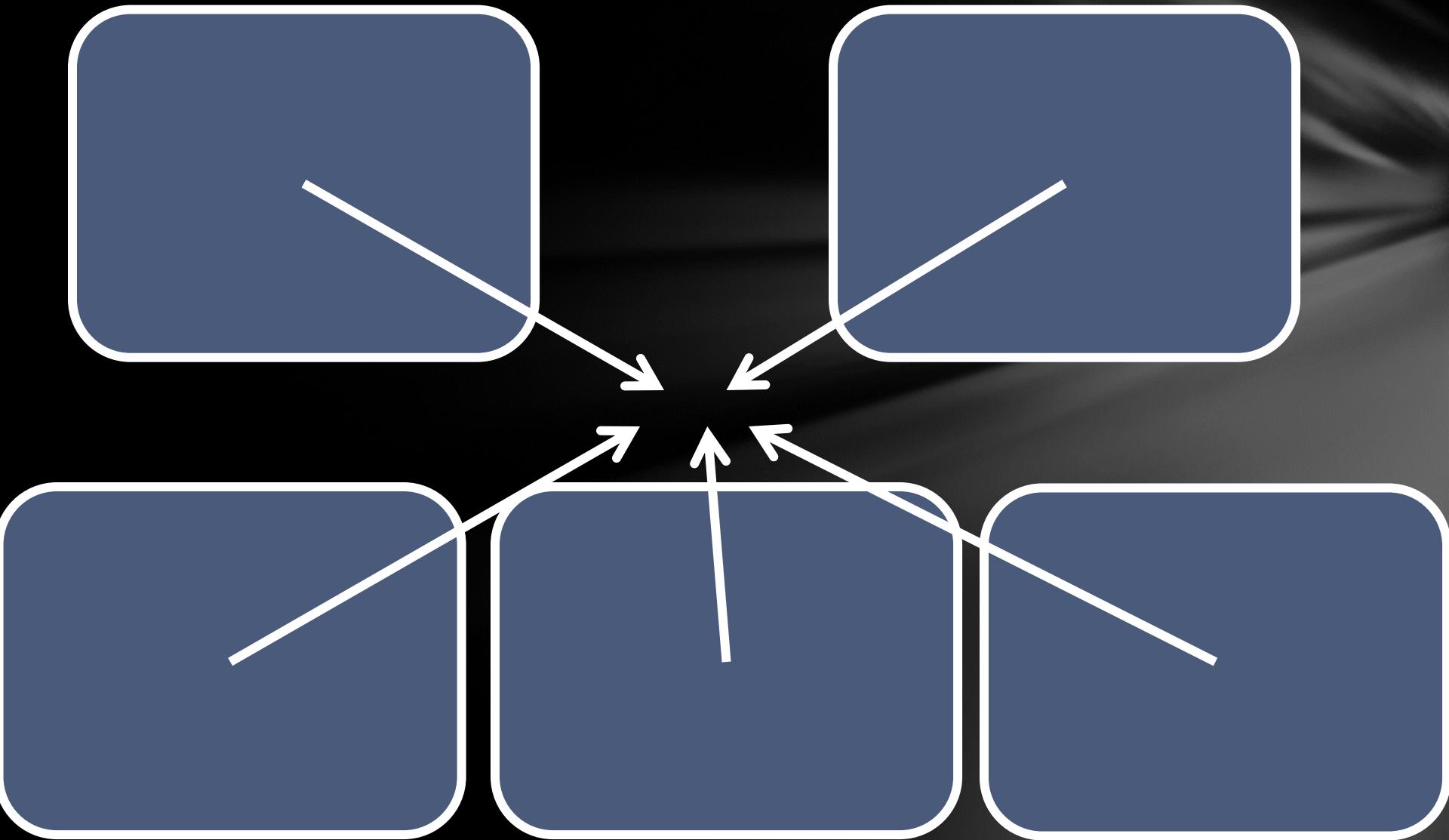
# Modularity



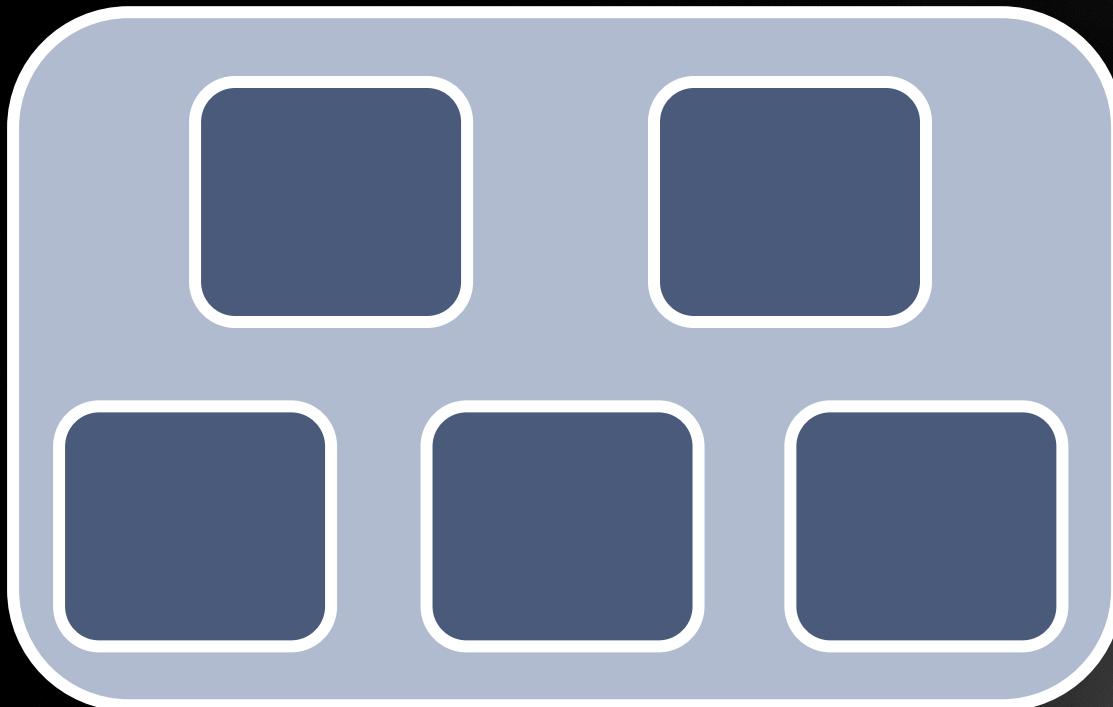
# Modularity



# Modularity



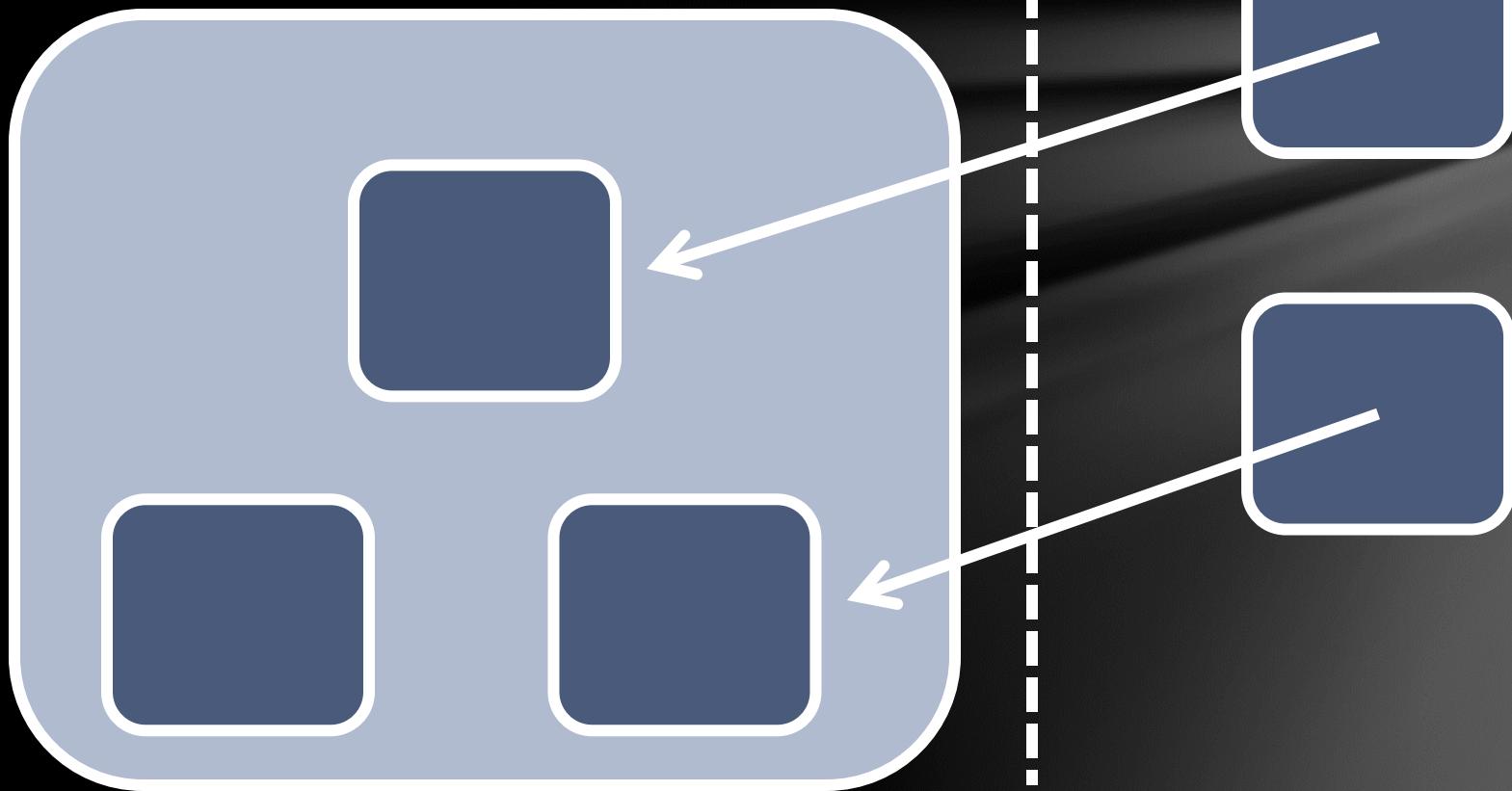
# Modularity



# Modularity

Your workspace

External library



# Modularity

$A \rightarrow B; k_0^* A$

$B \rightarrow ; k_0^* B$

$C \rightarrow B; k_0^* C$

$B + C \rightarrow D; k_0^* C * B$

# Modularity

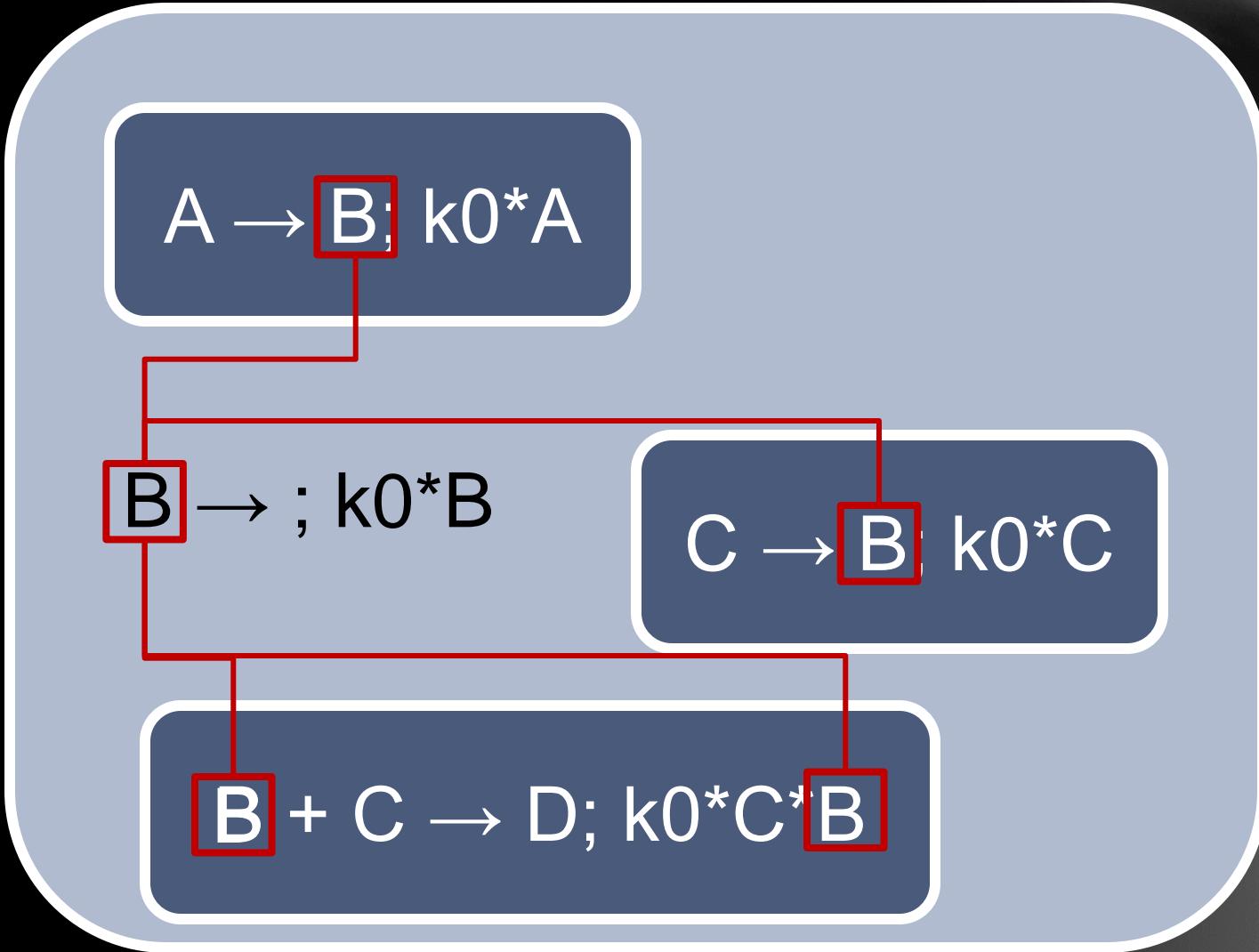
$A \rightarrow [B]; k_0^* A$

$[B] \rightarrow ; k_0^* B$

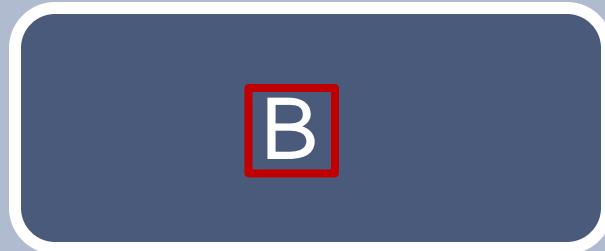
$C \rightarrow [B]; k_0^* C$

$[B] + C \rightarrow D; k_0^* C * [B]$

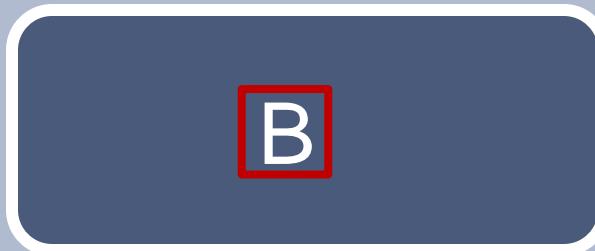
# Modularity



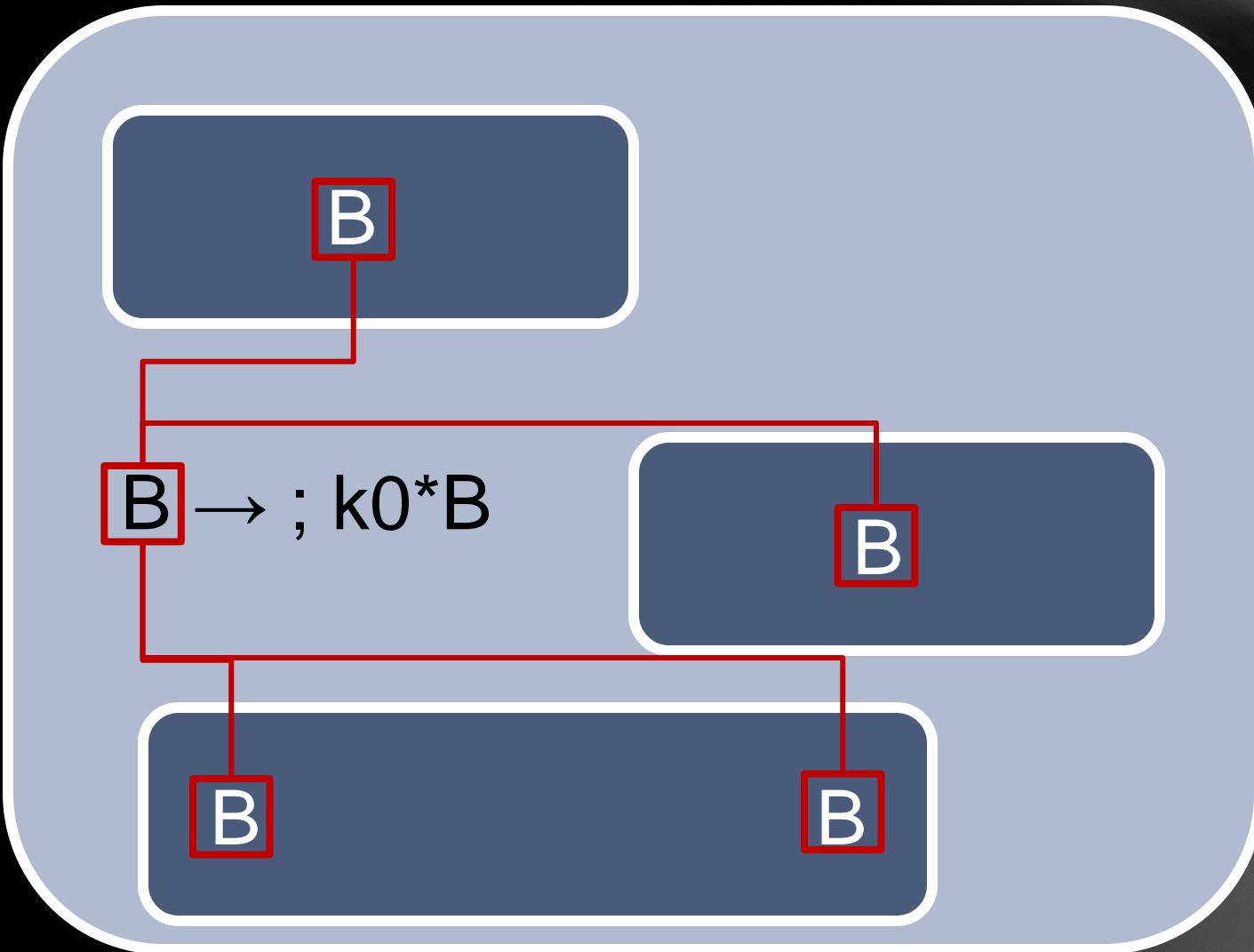
# 'Black Box' Modularity



$B \rightarrow ; k0^*B$



# 'Black Box' Modularity



# Model Composition

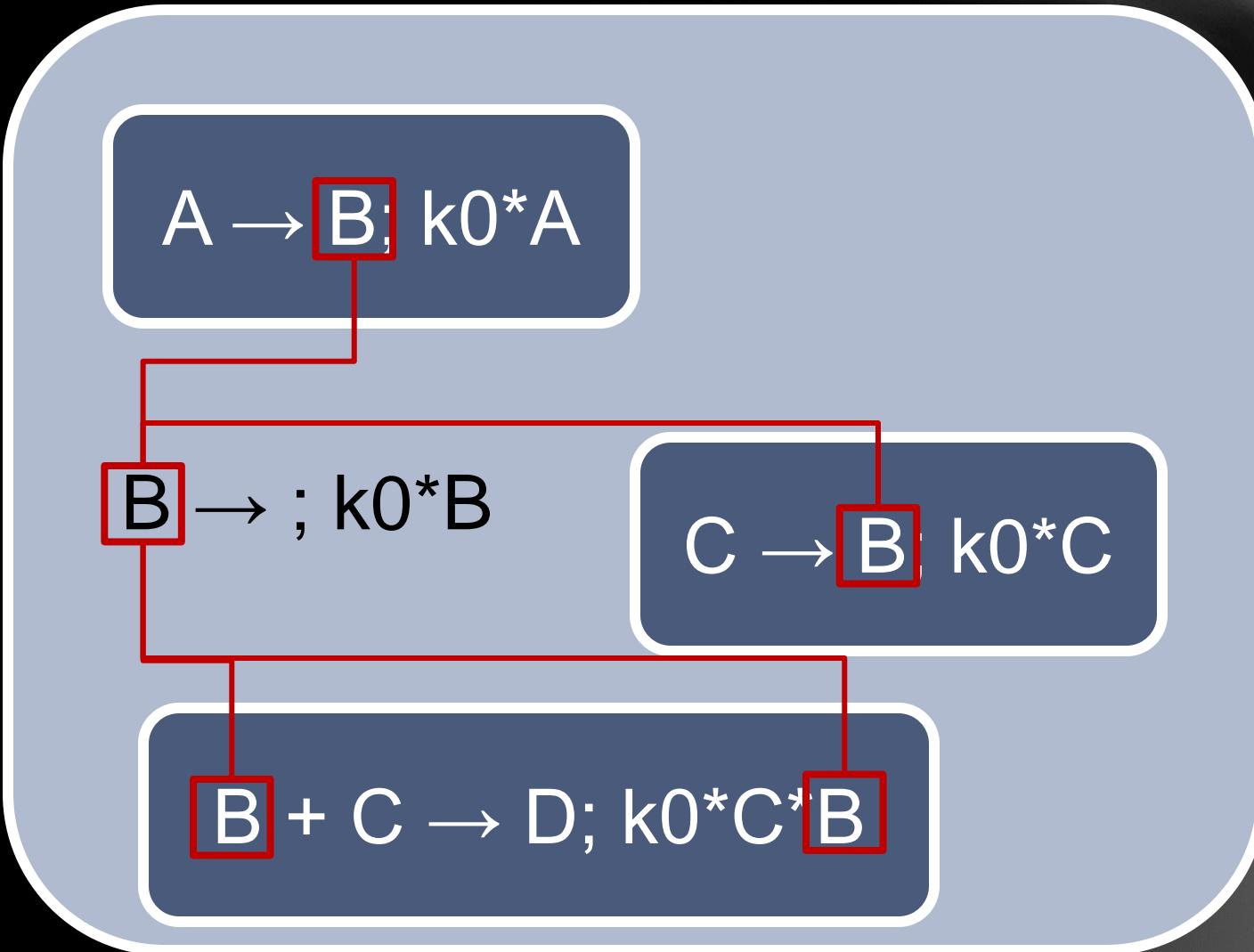
$A \rightarrow B; k_0^* A$

$B \rightarrow ; k_0^* B$

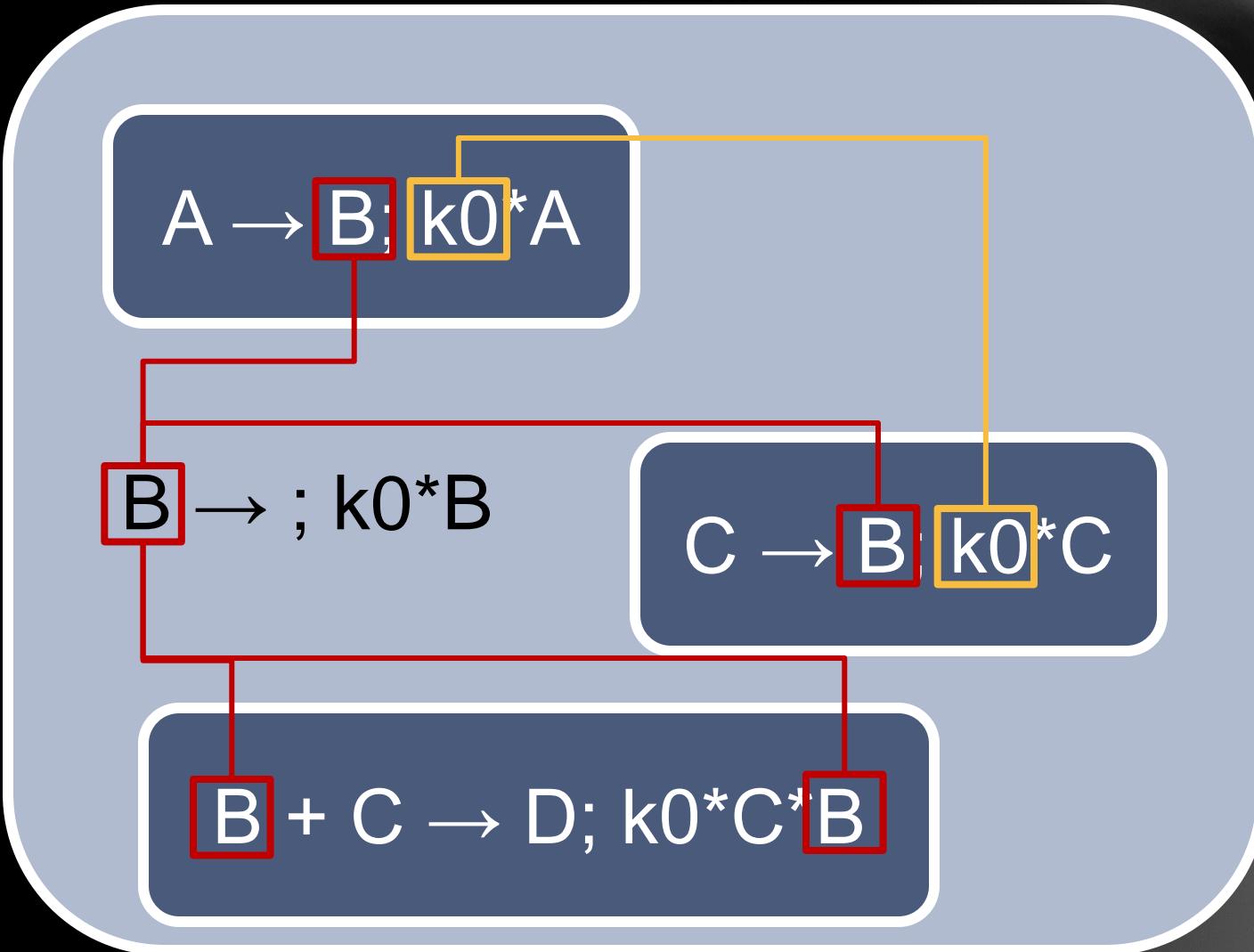
$C \rightarrow B; k_0^* C$

$B + C \rightarrow D; k_0^* C * B$

# Model Composition



# Model Composition



# 'Black Box' Translation

B

$\boxed{B} \rightarrow ; k0^*B$

B

B

B

# 'Black Box' Translation

B k0

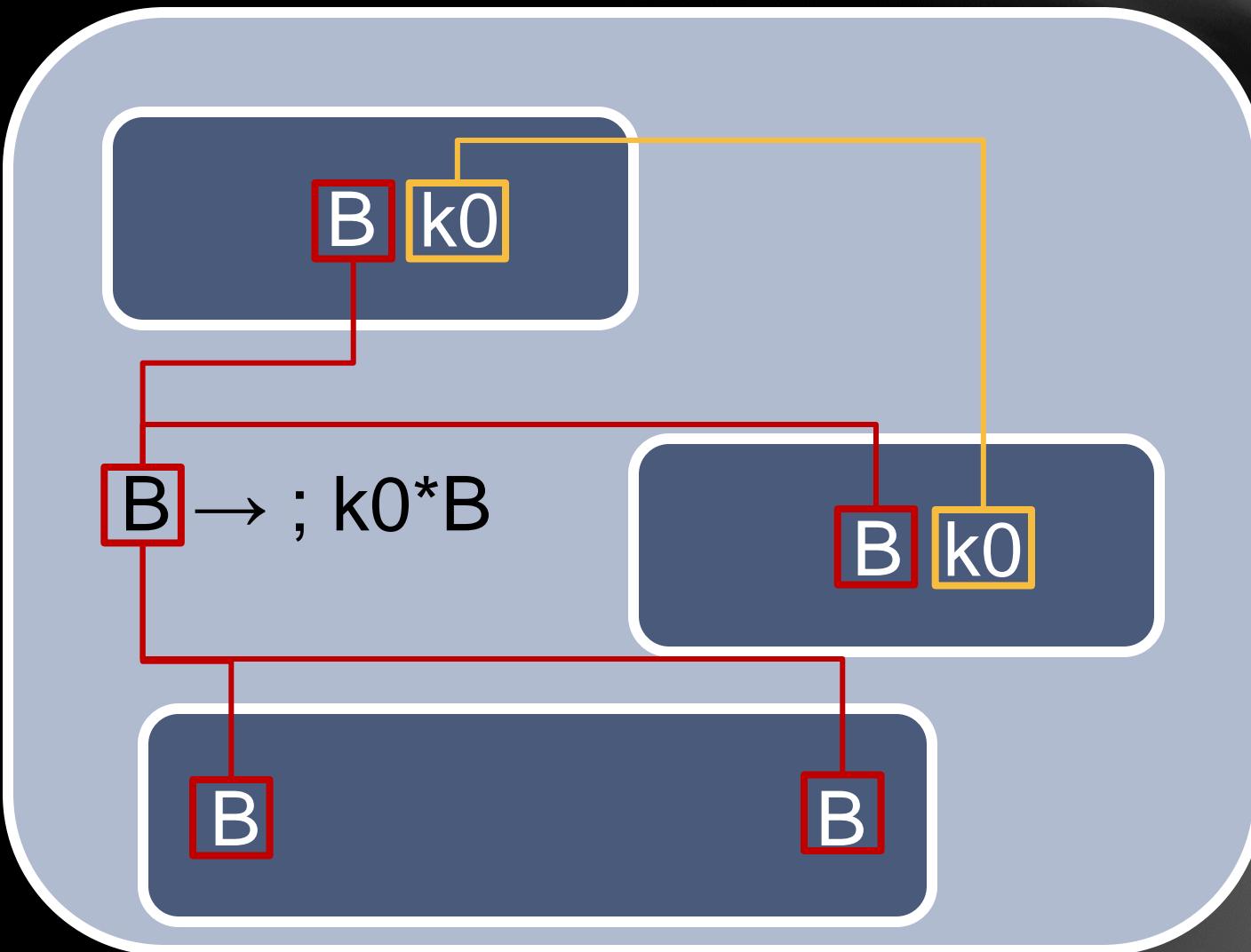
B → ; k0\*B

B k0

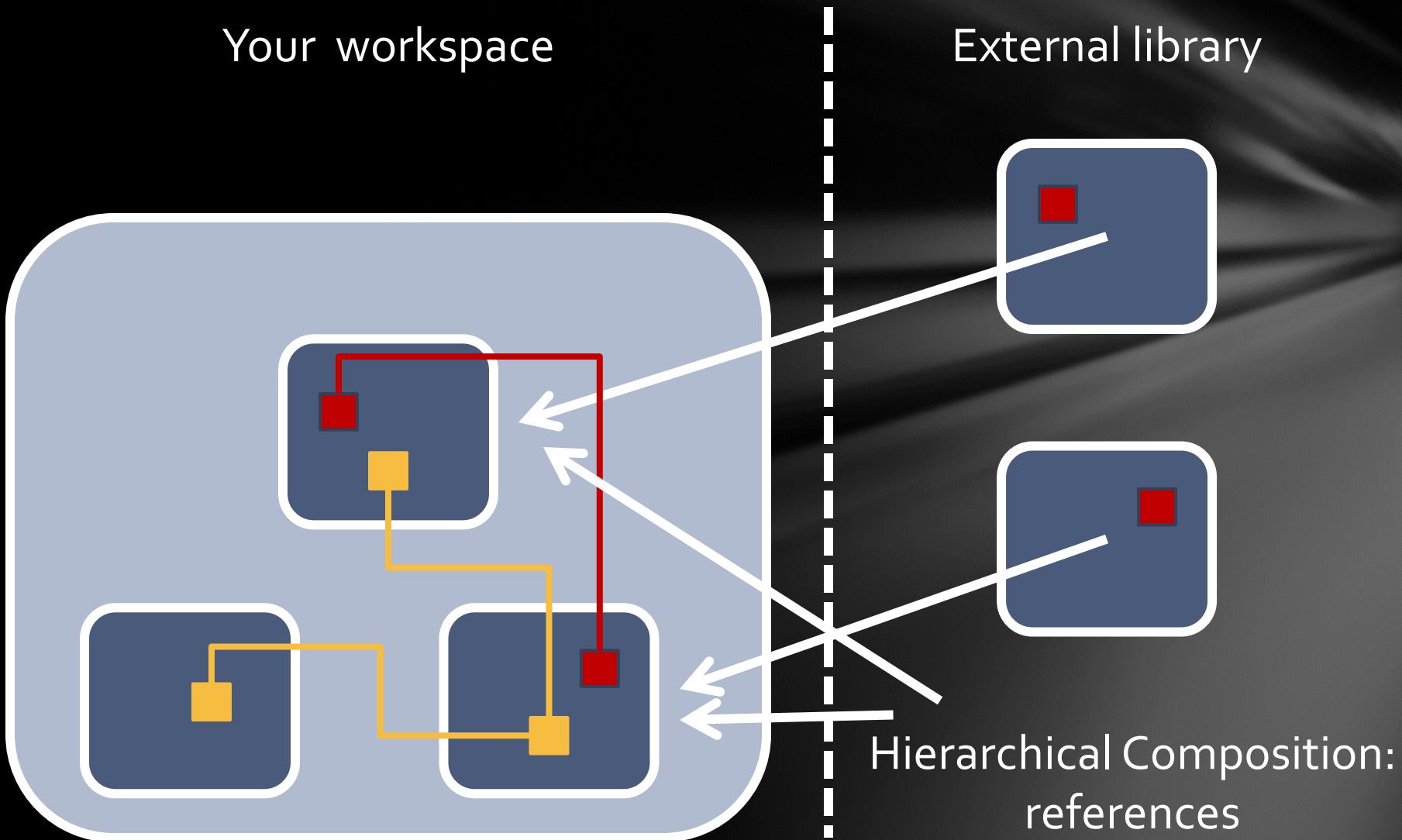
B

B

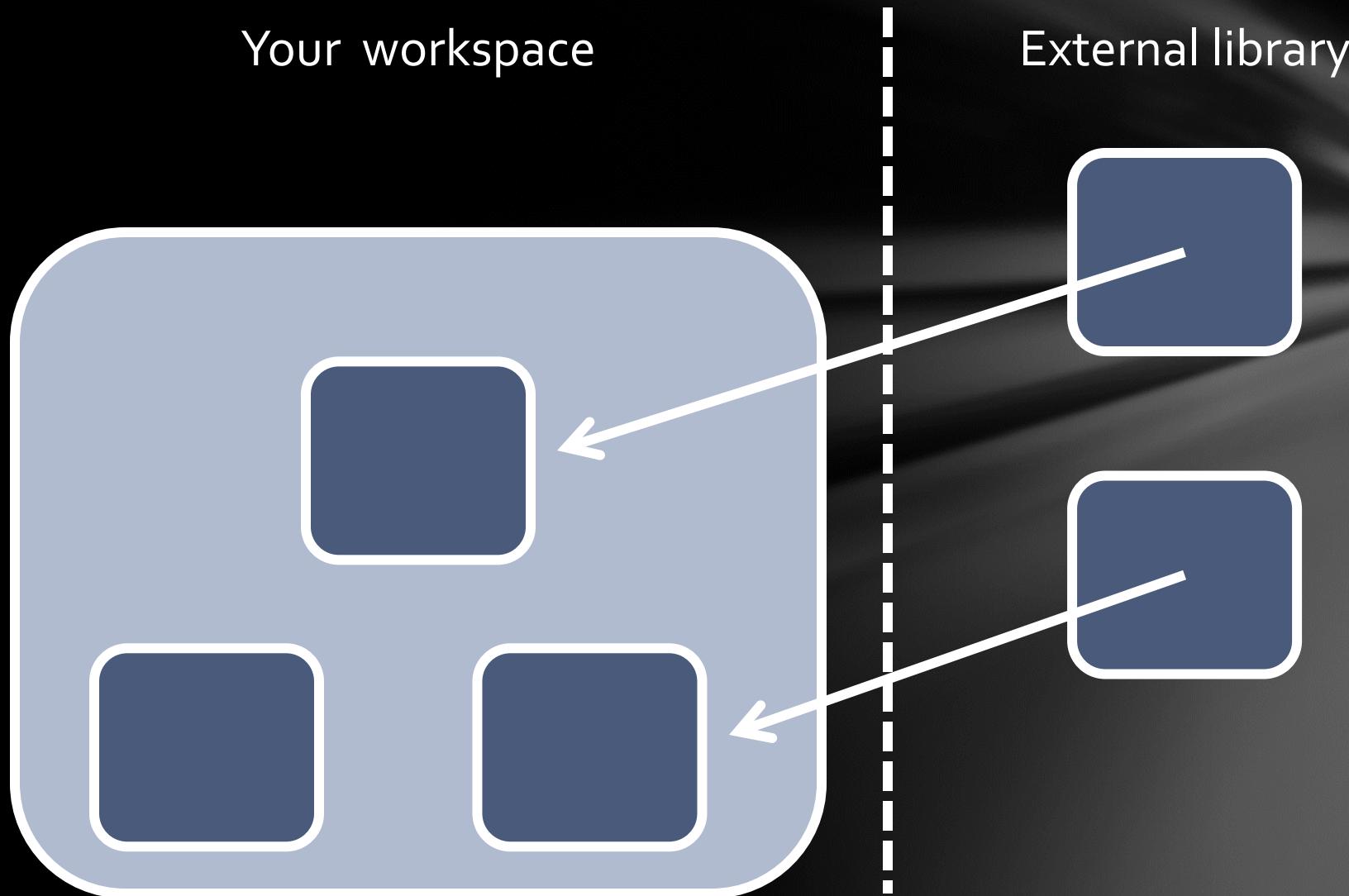
# 'Black Box' Translation



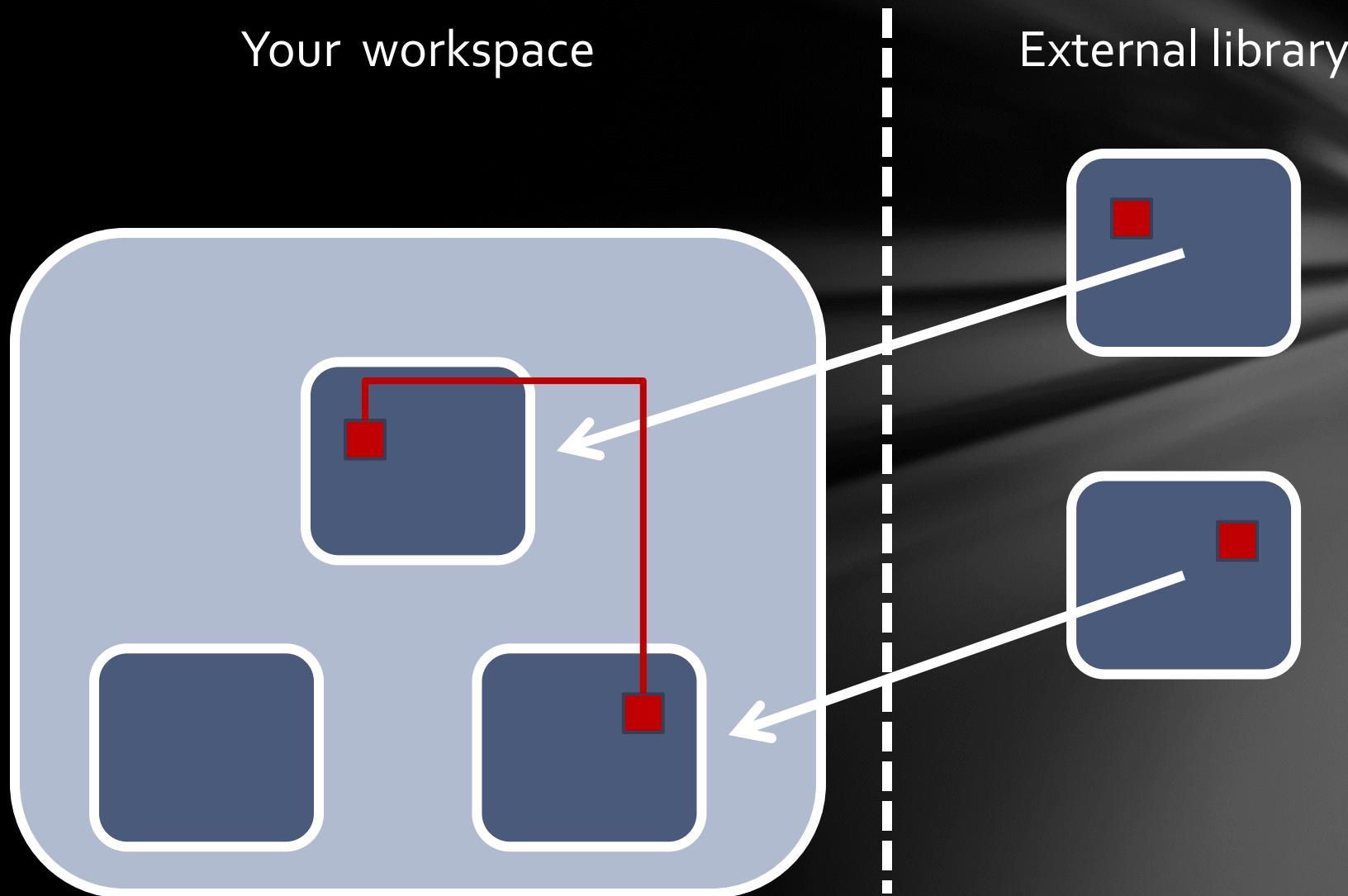
# Implications for libraries



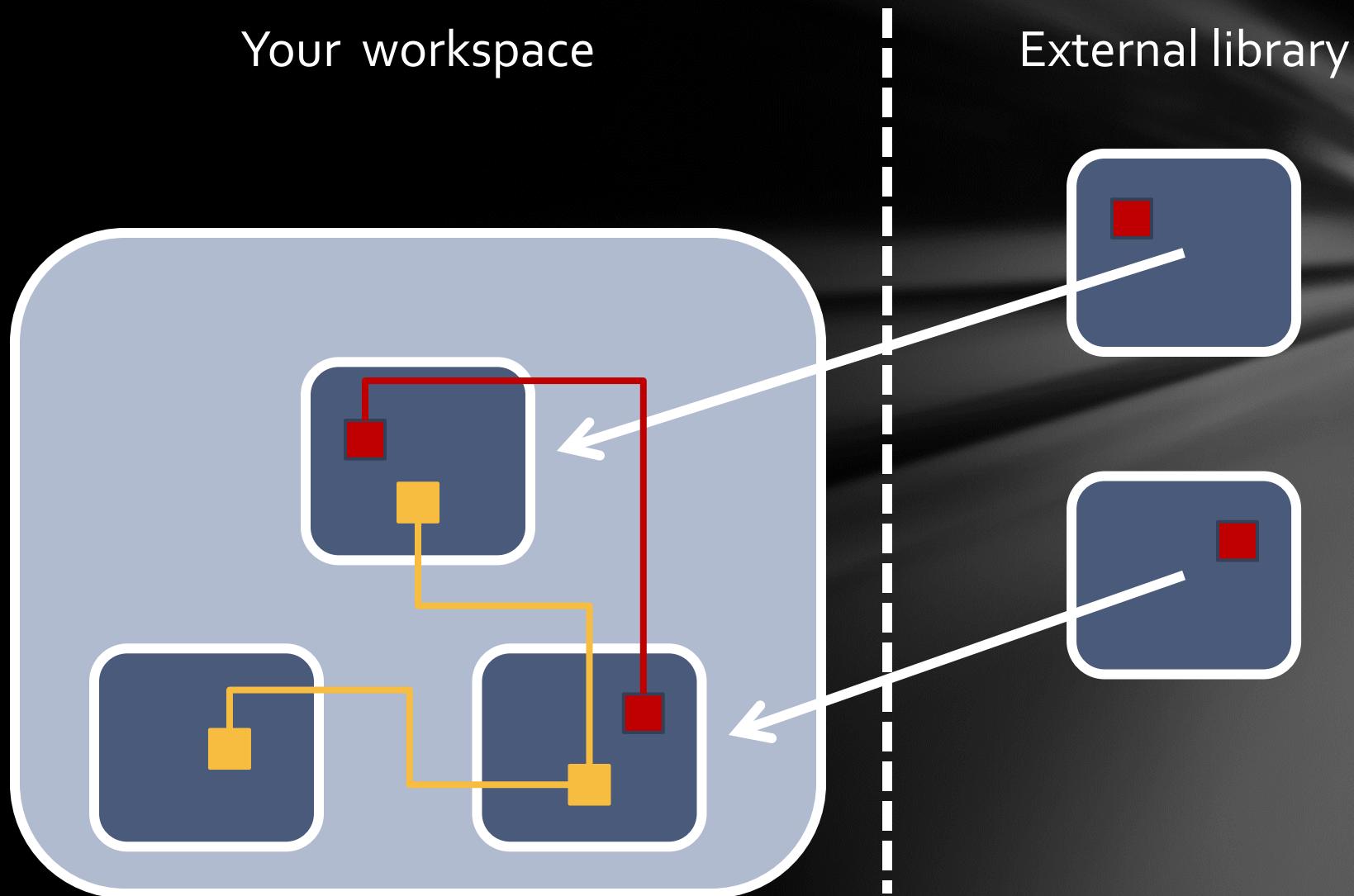
# Implications for libraries



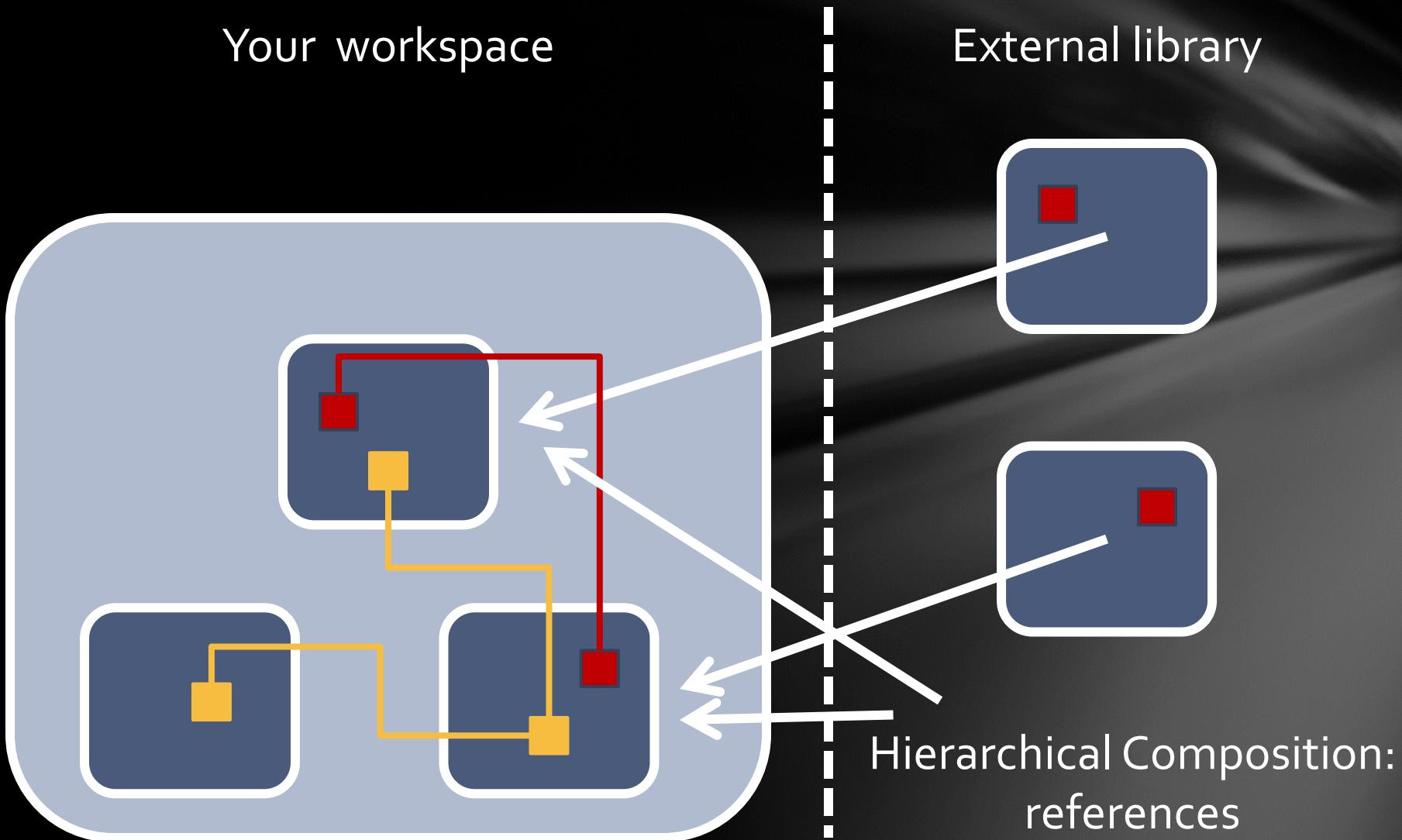
# Implications for libraries



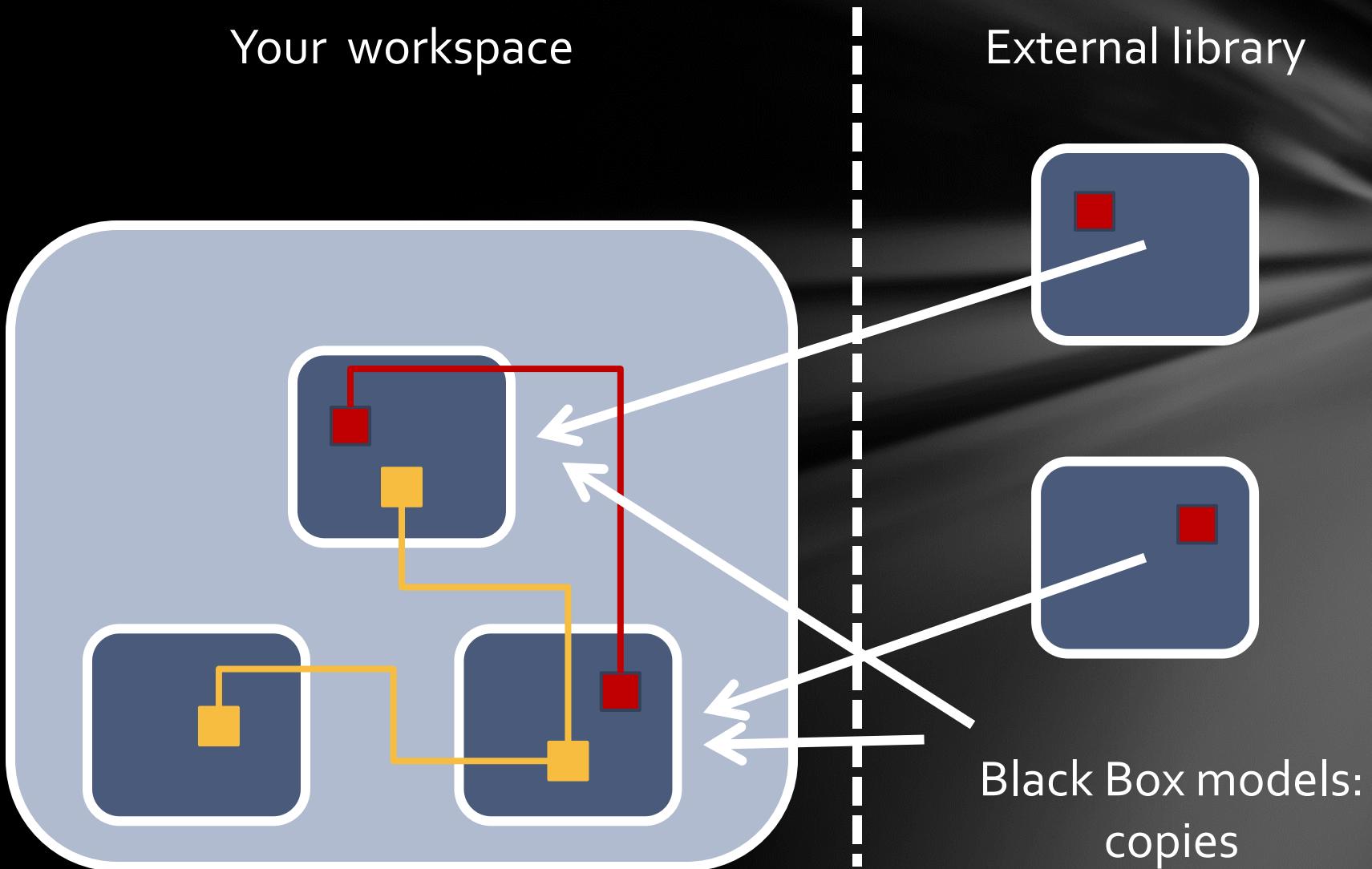
# Implications for libraries



# Implications for libraries



# Implications for libraries



# Math vs. Objects

$$J_0 = k_0 * A$$

$$\frac{dA}{dt} = -J_0$$

$$\frac{dB}{dt} = J_0$$

$A \rightarrow B; k_0 * A$

# Math vs. Objects

$J_0 = k_0 * A$   
 $J_1 = k_1 * C$   
 $dA/dt = -J_0$   
 $dC/dt = -J_1$   
 $dB/dt = J_0 + J_1$

$A \rightarrow B; k_0 * A$   
 $C \rightarrow B; k_0 * C$

# Math vs. Objects

$$J_0 = k_0 * A$$
$$\frac{dA}{dt} = -J_0$$

$$J_1 = k_0 * C$$
$$\frac{dC}{dt} = -J_1$$

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# Math vs. Objects

$$J_0 = k_0 * A$$
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$$\frac{dC}{dt} = -J_1$$

$$\frac{dB}{dt} = J_0 + J_1$$

A → B;  $k_0 * A$

C → B;  $k_1 * C$

# Math vs. Objects

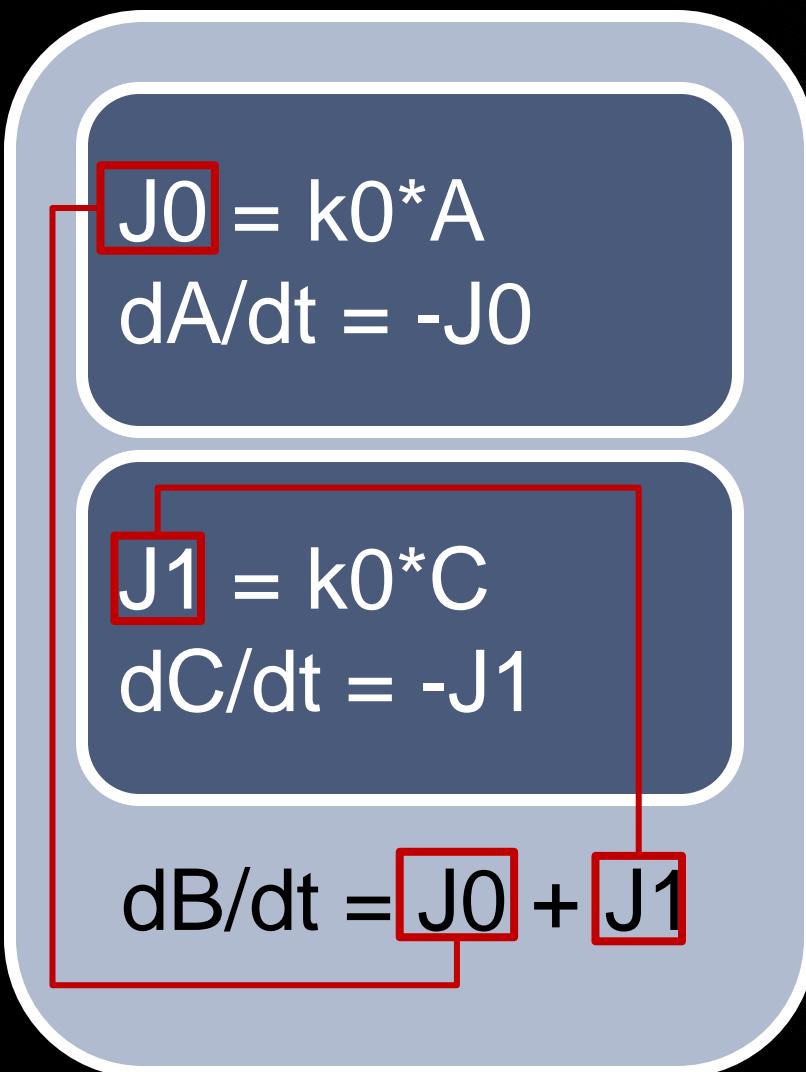
$$J_0 = k_0 * A$$
$$\frac{dA}{dt} = -J_0$$

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$$\frac{dC}{dt} = -J_1$$

$$\frac{dB}{dt} = J_0 + J_1$$



# Math vs. Objects



Big Difference!!!

# Math vs. Objects

# Math vs. Objects

black box vs. model composition